Spin Drag in the Disordered Hubbard Model and Many-Body Localization

William McGehee, Will Morong, Wenchao Xu, Brian DeMarco

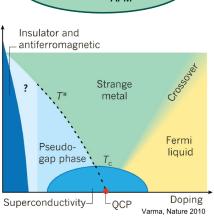
DeMarco Group Department of Physics University of Illinois at Urbana-Champaign

DAMOP 2014

Disordered Hubbard Model



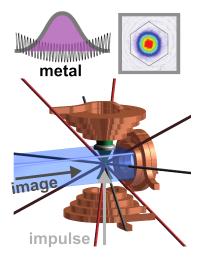
Temperature



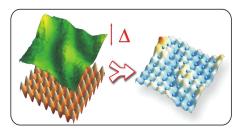


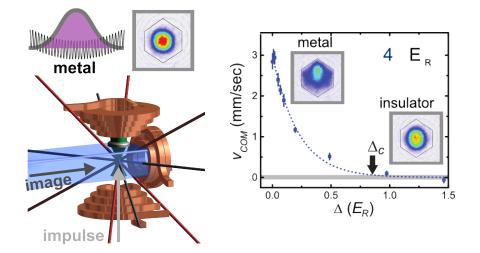
$$\begin{split} \mathcal{H} &= \sum_{i} U_{i} \hat{n}_{i\uparrow} \hat{n}_{i\downarrow} \\ &- \sum_{\langle ij \rangle, \sigma} t_{ij} \left(\hat{c}_{j\sigma}^{\dagger} \hat{c}_{i\sigma} + h.c. \right) \\ &+ \sum_{i} \left(\epsilon_{i} + m\omega^{2} r_{i}^{2} / 2 \right) \hat{n}_{i} \end{split}$$

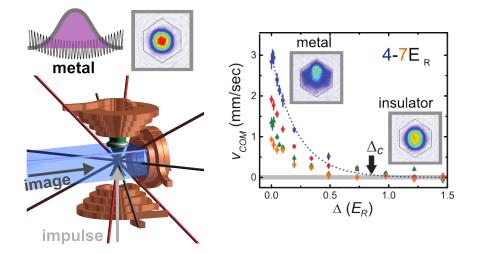
Pasienski, Nat. Phys (2010) Kondov, arXiv:1305.6072

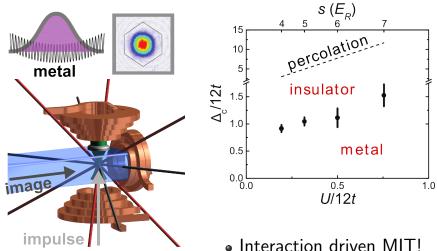


- \bullet Ultracold $^{40}{\rm K}$
- 3D lattice + speckle
- Response to impulse

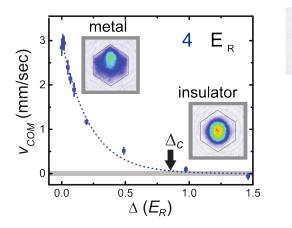




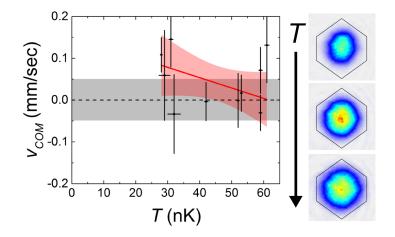


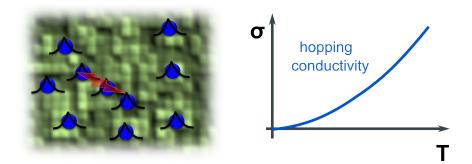


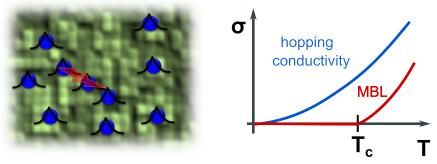
• Increase Temp for marginally localized gas



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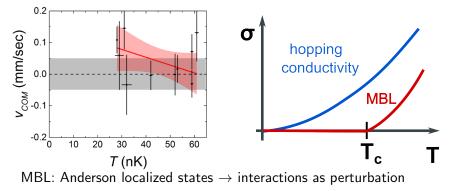




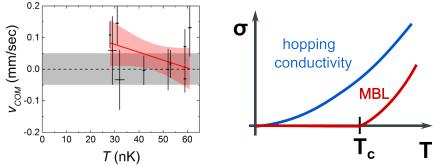


MBL: Anderson localized states \rightarrow interactions as perturbation

• Basko, Aleiner, Altshuler (2006) $\sigma = 0$ for T $\neq 0$



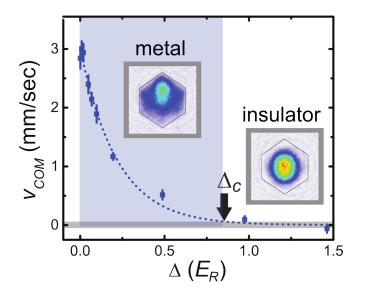
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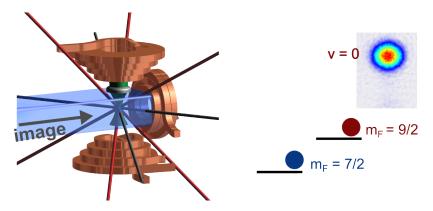
- Basko, Aleiner, Altshuler (2006) $\sigma = 0$ for T $\neq 0$
- Oganesyan and Huse (2007) $\sigma = 0$ for T $ightarrow \infty$

Quantitative behavior of metallic phase



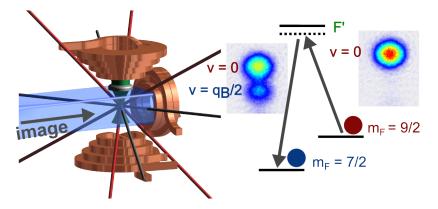
Spin Drag in Hubbard Gas

• Spin friction as analog of resistance



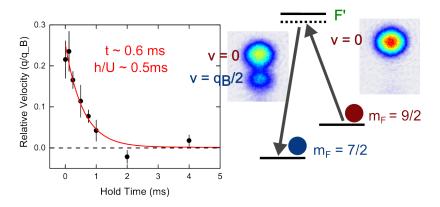
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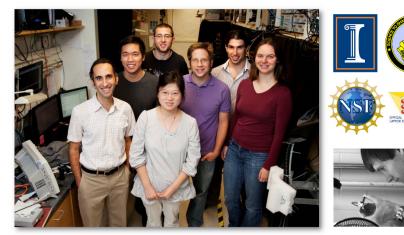
Spin Drag in Hubbard Gas

• Spin friction as analog of resistance



Currently looking for non-Fermi liquid behavior...

Thanks!



Will Morong

LE

Phil Russ Stan Kondov David Chen Will McGehee Carrie Meldgin Brian DeMarco Wenchao Xu